

OBJECTIVES

Organ transplants

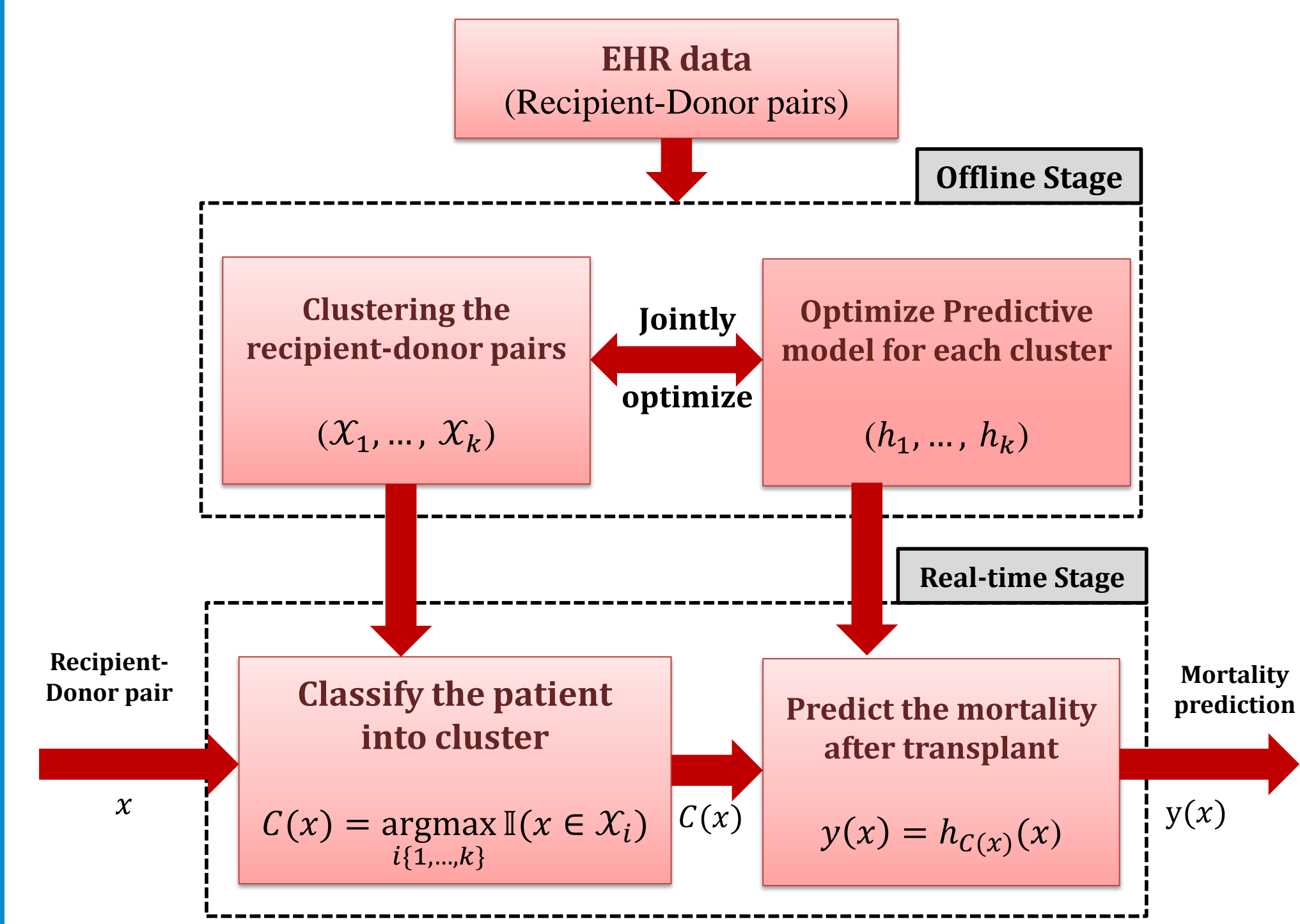
- Therapy of choice for patients with end stage diseases!
- **National Kidney Foundation:** 121,678 people waiting for lifesaving organ transplants in the U.S. as of 1/11/2016!

Challenges

- **Post-operative complications:** infection, rejection and malignancy (Huynh 2014).
- Complications are highly dependent on the features of both **recipients** and **donors**!
- Proper recipient-donor matching requires accurate pre-operative survival analysis → **very little domain knowledge!**

Our goal → learn recipient-donor compatibility from the electronic health record data (EHR)!

ALGORITHM



CONCLUSIONS

- The outcomes of organ-transplant surgeries depend crucially on the individual traits of recipients and donors.
- We developed a *personalized* prognostic tools that learns a tree of predictors, the output of which is a set of recipient-donor feature clusters (phenotypes), and a predictive model customized for every cluster. The performance of our algorithm outperforms state-of-the-art clinical risk scores and other machine learning algorithms.

STATE-OF-THE-ART

Current clinical practice

- Donor Risk Index (DRI) (Feng 2006)
- Risk-Stratification Score (RSS) (Sorrer 2007)
- Index for Mortality Prediction After Cardiac Transplantation (IMPACT) (Weiss 2011)

Drawback of clinical risk scores:

- **Expert-based**, no rigorous validation.
- Ignores the **heterogeneity** of the recipient-donor characteristics.

Need a *data-driven* predictive model that discovers subgroups of “similar patients”!

Related Machine Learning Algorithms

- Ensemble Methods (Kuznetsov 2014)
- Clustering Methods (Sontag 2016)
- Decision Tree Methods (Strobl 2009)

EXPERIMENTS

- United Network for Organ Sharing (UNOS) dataset: a cohort of 56,716 patients who got heart transplants from 1985 to 2015.
- **Training set:** transplants before 2010.
- **Testing set:** transplants after 2010.
- Our algorithm discovers **7 clusters (phenotypes) for the heart transplant recipient-donor pairs.**
- Gains in the number of patients for whom the PPV is 90% PPV are:
 - **298** compared to **DeepBoost**.
 - **1,841** compared to **RSS**.

OUR METHOD

- **Main idea:** cluster the feature space into subgroups and assign a separate predictive model to every subgroup [**Build a tree with a predictor assigned to every leaf!**].
- **Model:** Recipient-donor feature space \mathcal{X} and label space \mathcal{Y} . • K feature clusters $\{\mathcal{X}_1, \dots, \mathcal{X}_K\}$.
- Cluster-specific predictors $\{h_1, \dots, h_K\}$.
- **Learning:** Jointly optimize K , $\{\mathcal{X}_1, \dots, \mathcal{X}_K\}$ and $\{h_1, \dots, h_K\}$ [**Consider the Bias-Variance trade-off!**]

$$\min_{\{\mathcal{X}_1, \dots, \mathcal{X}_k\}} \left[\min_{h_1, \dots, h_k \in \mathcal{H}} \sum_{i=1}^k \mathcal{F}(\mathbf{X} \in \mathcal{X}_i) \times \mathbb{E}_{\mathcal{F}_i} [l(h_i(\mathbf{x}), y)] \right]$$

subject to $\mathcal{X} = \bigcup_{i=1}^k \mathcal{X}_i$, and $\mathcal{X}_i \cap \mathcal{X}_j = \emptyset \forall i \neq j$.

NP hard! Need an approximate solution.

- Use an **upper bound** on the expected error as the objective function.
- Add **2 constraints** to make the problem tractable: **Restrict clusters to hyper-cubes**, & **Restrict the number of clusters**.

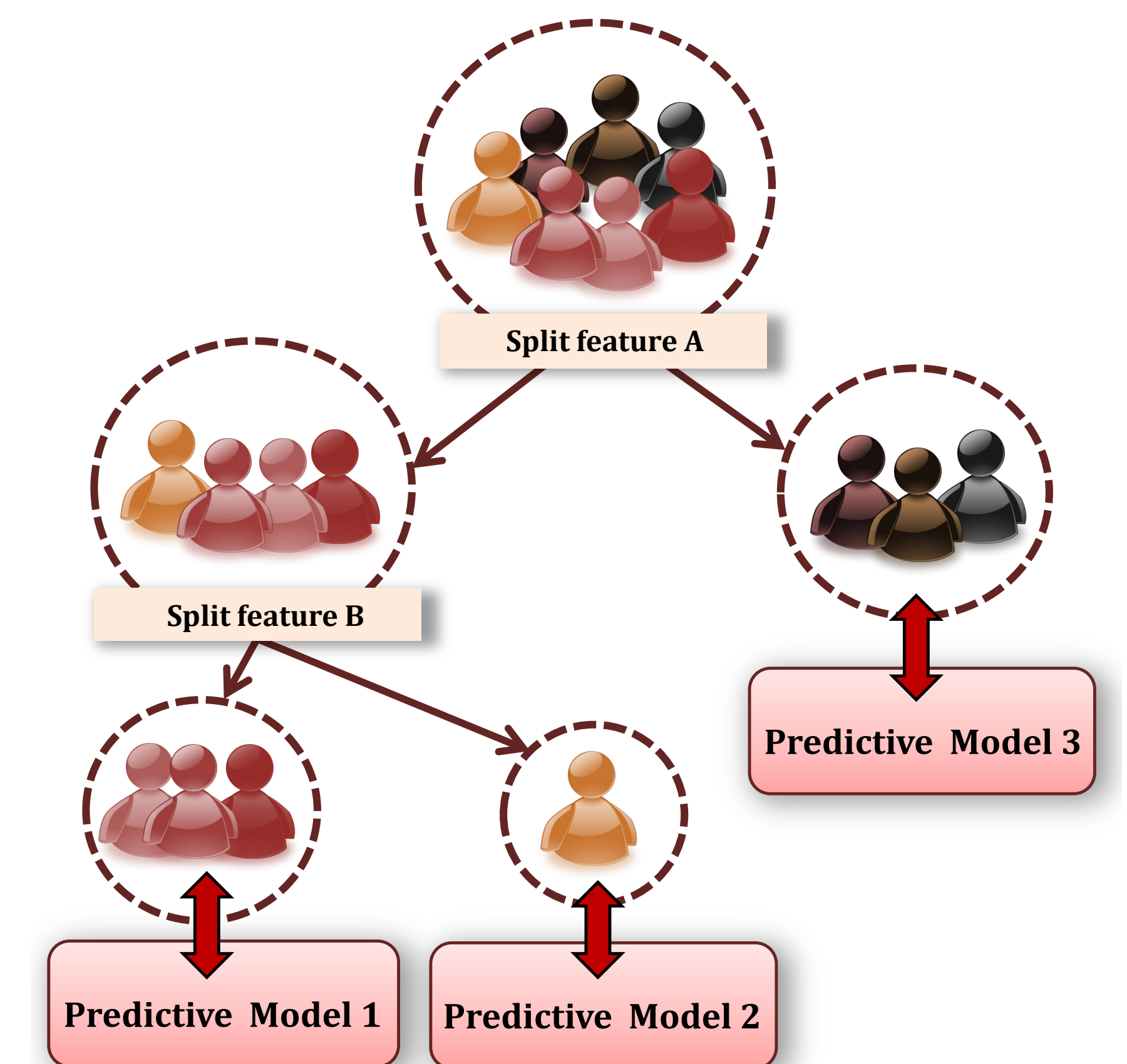
$$\min_{\{\mathcal{X}_1, \dots, \mathcal{X}_k\}} \mathcal{E} + \alpha \sqrt{\frac{k^2 \log M}{n}}, \quad \mathcal{E} : \text{Empirical error}$$

Penalty term

subject to $\mathcal{X}_i = \prod_{j=1}^D [a_{ij}, b_{ij}], a_{ij} \leq b_{ij}, a_{ij} \in \mathbb{R}^*, b_{ij} \in \mathbb{R}^*$

$k \leq \gamma$, where $k \in \mathbb{Z}_+$

$\mathcal{X} = \bigcup_{i=1}^k \mathcal{X}_i$, and $\mathcal{X}_i \cap \mathcal{X}_j = \emptyset$ for $\forall i \neq j$.



RESULTS

